



The Laplacian on a Riemannian manifold [an introduction to analysis on manifolds /

Rosenberg, Steven (1951-)

Cambridge University Press, 1997

Electronic books

Monografía

This text on analysis of Riemannian manifolds is aimed at students who have had a first course in differentiable manifolds

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